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STO TECHNICAL REPORT

PUB REF STO-MP-SAS-114-PPJ

ANNEX J
Measures of Information Usefulness
in Target Classification

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Finding Useful Questions:

Examining measures of information usefulness in Target Classification (exploring Nelson, 2005).

Mark Timms, DRDC Toronto

DRDC | RDDC



Agenda

- Background
- Nelson (2005)
- Discussion
- Next Steps at DRDC

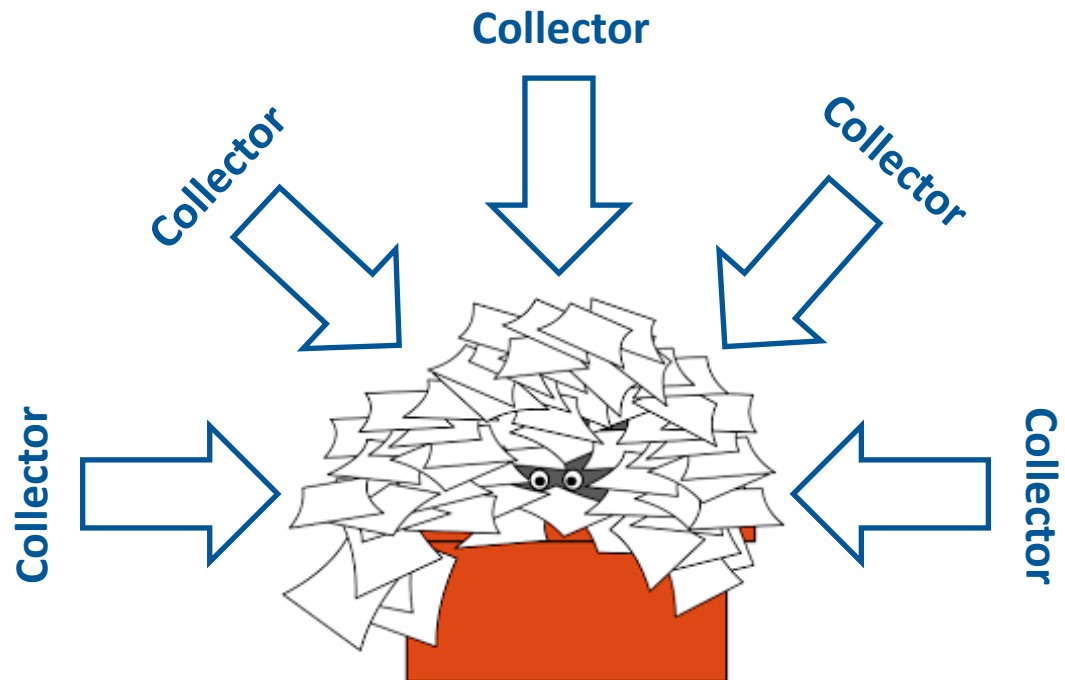


BLUF:

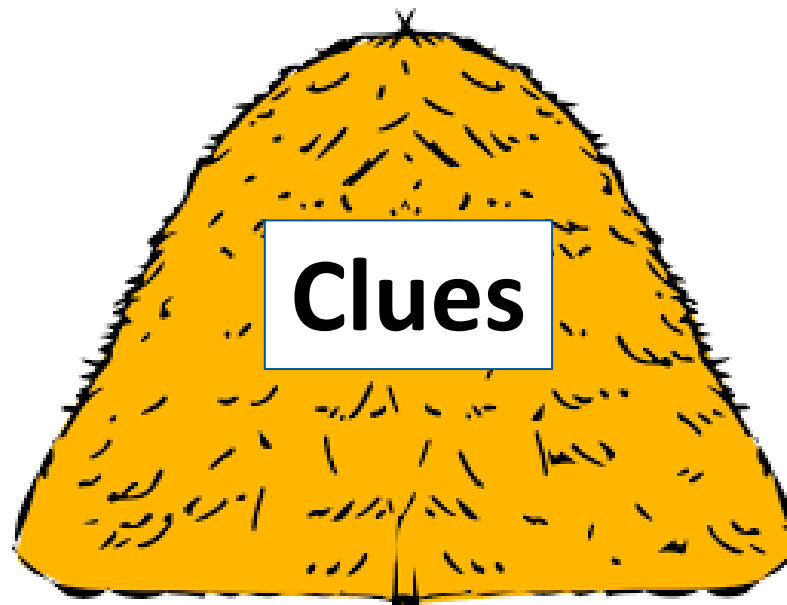
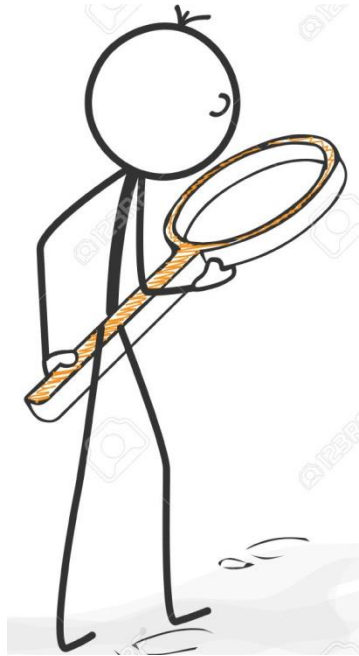
- Differentiation > Falsification
- Falsification \neq Human Decision Making
- – Cost Structure \rightarrow Dangerous

Why do we care?

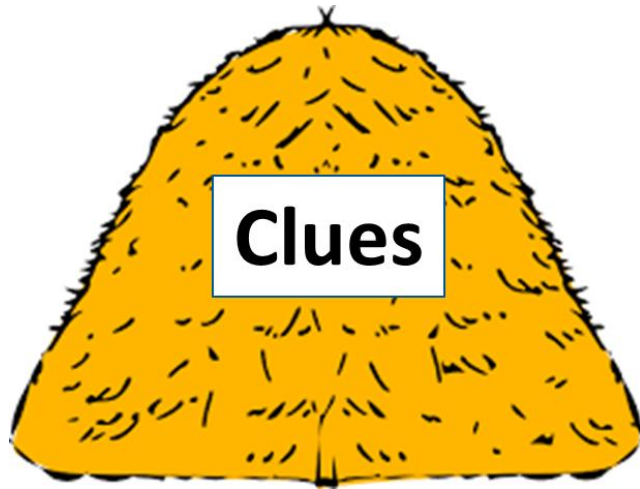
- Intelligence Analyst → **Information Triage**
- The Intelligence Cycle → **Priority Intelligence Requirements**
- Contentious Policing Policies → **Carding**



The Basics: How to solve a mystery



The Basics: Deriving Utility → Prioritization



The Basics: the probabilistic framework

- **Probabilistic belief model, including:**
 - Hypotheses
 - Prior probability for each
 - A list of possible questions
- **A sampling Norm (the utility function)**
- **A method to update beliefs (compliments the utility function)**



Example: Planet Vuma – Glom, or Fizzo?



Tribe	Pop	c1	c2	c3	c4	c5	c6	c7	c8	c9	c10	c11	c12
A	0.5	0.1	0.75	0.5	0.25	0.1	0.75	0.5	0.25	0.75	0.25	0.75	0.75
B	0.5	0.1	0.5	0.75	0.25	0.1	0.5	0.75	0.25	0.25	0.75	0.5	0.5

Skov and Sherman (1986) and Slowiaczek et al. (1992, Experiments 3a and 3b).

Previous Research



Measures info gathering behaviour by considering **whether people choose to ask highly useful questions.**

DOES NOT clearly outline:

- what norms best describe human behavior,
- when the norms disagree, or
- whether some norms are better than others.

↑ Falsification

↓ Differentiation

Model Summary

- Bayesian Diagnosticity
- Log Diagnosticity

$$\text{diagnosticity}(q_j) = \max\left(\frac{P(q_j|c_1)}{P(q_j|c_0)}, \frac{P(q_j|c_0)}{P(q_j|c_1)}\right) \text{ and}$$

$$\text{diagnosticity}(Q) = \sum_{q_j} P(q_j) \times \text{diagnosticity}(q_j)$$

- Information Gain
- Kullback-Leiber Distance
- Probability Gain
- Impact

$I(C, Q) = H(C) - H(C|Q)$, where:

$$H(C) = \sum_{c_i} P(c_i) \times \log_2 \frac{1}{P(c_i)}, \text{ the initial entropy in } C$$

$$H(C|Q) = \sum_{q_j} P(q_j) \times H(C|q_j), \text{ the conditional entropy in } C \text{ given } Q, \text{ and}$$

$$H(C|q_j) = \sum_{c_i} P(c_i|q_j) \times H(C|q_j) \times \log_2 \frac{1}{P(c_i|q_j)}, \text{ the entropy in } C \text{ given answer } q_j$$

Differentiation Explained – Information Gain Example

Predicting whether I will play golf

(Play) $9/14 = \text{YES} \rightarrow iE = 0.94$

outlook	temperature	humidity	windy	play
overcast	cool	normal	TRUE	yes
overcast	hot	high	FALSE	yes
overcast	hot	normal	FALSE	yes
overcast	mild	high	TRUE	yes
rainy	cool	normal	TRUE	no
rainy	mild	high	TRUE	no
rainy	cool	normal	FALSE	yes
rainy	mild	high	FALSE	yes
rainy	mild	normal	FALSE	yes
sunny	hot	high	FALSE	no
sunny	hot	high	TRUE	no
sunny	mild	high	FALSE	no
sunny	cool	normal	FALSE	yes
sunny	mild	normal	TRUE	yes



(Oc) $4/4 = \text{YES} \rightarrow cE = 0$



(Rain) $3/5 = \text{YES} \rightarrow cE = 0.97$



(Sun) $2/5 = \text{YES} \rightarrow cE = 0.97$

Initial Entropy – Conditional Entropy = Information Gained

Calculating the Utility of Cues → prioritization

66 Subjects, 18 Features, Probabilities Constant

Table 3
New Analysis of Features Used by Skov and Sherman (1986) and Slowiaczek et al. (1992)

Feature	% of gloms, fizos with each feature	Information gain, Kullback–Liebler distance	Probability gain, impact	Diagnosticity	Log ₁₀ diagnosticity
Low usefulness					
A, B	48, 52; 52, 48	0.001	.020	1.083	0.035
C, D, E, F	28, 32; 32, 28; 68, 72; 72, 68	0.001	.020	1.084	0.035
Medium usefulness					
G, H, I, J	15, 45; 45, 15; 55, 85; 85, 55	0.080	.150	1.982	0.276
K, L	34, 66; 66, 34	0.075	.160	1.941	0.288
High usefulness					
M, N, O, P	10, 50; 50, 10; 50, 90; 90, 50	0.147	.200	2.760	0.388
Q, R	26, 74; 74, 26	0.173	.240	2.846	0.454

Disagreement Strength (DStr)

1,000, 000 Trials, up to 20 Features, Probabilities Vary

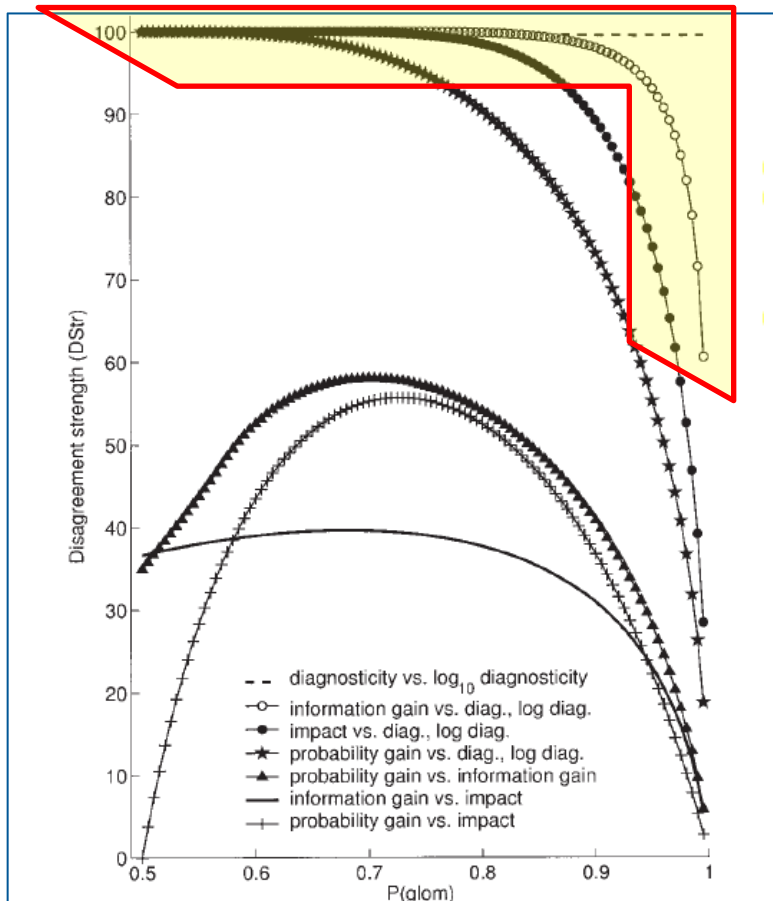


Figure 1. Simulation 2 results: strength of limiting cases of disagreement between pairs of sampling norms for different prior probabilities. diag. = diagnosticity; glom = type of creature on planet Vuma.

Model == Model?

Diagnosticity → almost universally suboptimal

Where Diagnosticity and Log Diagnosticity = Δ ,
Log Diagnosticity agreed with other norms, but
was still suboptimal.

Model == Humans?

No subjects responded according to
diagnosticity or log diagnosticity

Differentiation > Falsification

The Dangers of Diagnosticity

Guessing Gender, n=500 (%51 =Male), five features

Table 13

Natural Environment Feature Distribution

Gender	Skirt (or dress)		Glasses			Beard		Earrings		Hair	
	No	Yes	None	Sun	Yes	Yes	No	Yes	No	Short	Long
% of males	100	0	67	6	27	16	84	2	98	93	7
% of females	98	2	83	3	14	0	100	47	53	47	53

Note. About 51% of individuals were male. When hair completely obscured the ears, the ears were classified as not having earrings.

Table 14

Natural Environment Feature Usefulness Values

Sampling norm	Skirt (or dress)	Glasses	Beard	Earrings	Hair
Information gain, Kullback–Liebler distance	0.010	0.025	0.084	0.235	0.634
Probability gain	.010	.065	.062	.220	.420
Impact	0.010	0.080	0.080	0.225	0.430
Diagnosticity	Infinite	1.412	Infinite	7.056	13.296
Log ₁₀ diagnosticity	Infinite	0.093	Infinite	0.532	1.123

Findings, Discussion, and Next Steps

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